

Insurance pricing analytics: a research perspective

Katrien Antonio

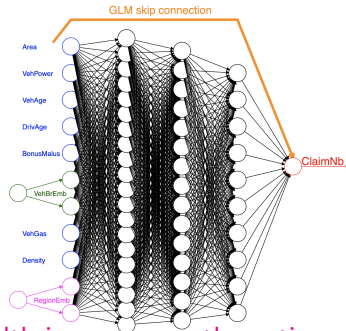
LRisk - KU Leuven and UvA

May 7, 2021



1. **Inverted** production cycle.
2. The contributions of the many to cover the **misfortunes of the few**.
3. Segmentation or **risk classification** or differential pricing.
4. **Insurance regulation** and **ethics**.

Inverted production cycle



Data-driven, extensive use of predictive modeling.

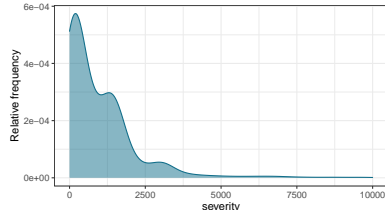
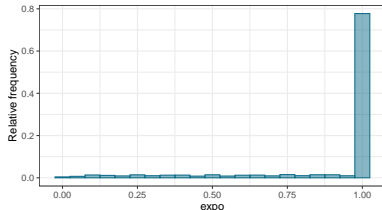
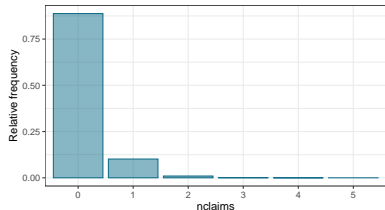


EIOPA (May, 2019) on **Big data analytics in motor and health insurance: a thematic review**.

Massive changes:

- in techniques: from regression (with GLMs) to neural networks.
- in granularity: from aggregate to fine-grained data (in **pricing**, but also reserving and other tasks).

**Contributions of the many
to cover the misfortunes of the few**



With claim **frequency** data (lhs):

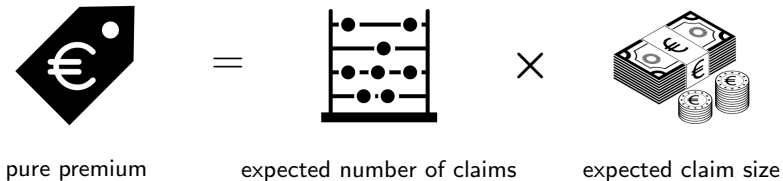
- number of (insured) events occurred
- low frequency, very often zero!

With claim **severity** data (rhs):

- only contracts with frequency > 0
- potentially high impact, (heavy) right tail.

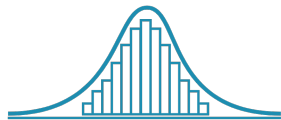
From frequency and severity to pure premium

Calculate a **technical, break-even or pure premium** approach. → e.g. with frequency-severity



Or, in math notation, $\pi = E[F] \times E[S]$ with F for frequency and S for severity.

Technicalities depending on line of business.



Next steps:

- get risk premium π^* by adding **risk or safety loading**, e.g. via actuarial premium principle

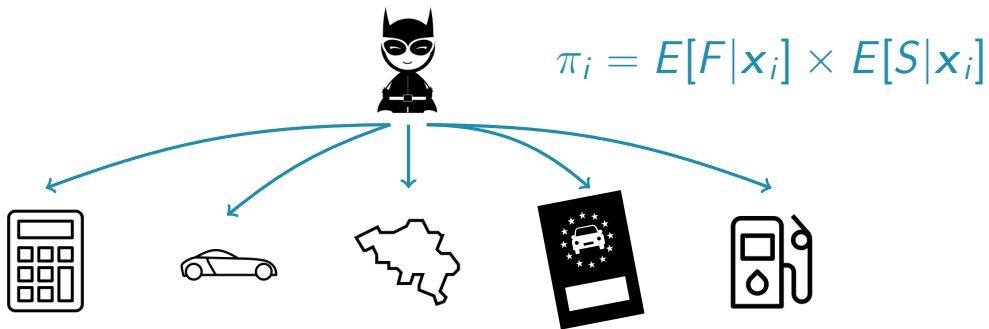
$$\pi^* = \pi + \rho \cdot \pi$$

- **add extra loadings** for capital (k), expenses (e), acquisition (a), taxes (t), etc.

$$\pi^g = \frac{1}{1 - (k + e + a + t)} \pi^*,$$

- commercial constraints → **market premium**.

Pricing via risk classification



Henckaerts, Antonio et al. (2020, NAAJ) on Boosting insights in insurance tariff plans with tree-based machine learning methods.

Devriendt, Antonio et al. (2021, Insurance: Mathematics and Economics) on Sparse regression with multi-type regularized feature modeling.



James B.

He drives 100 000 km during one year.

His road type composition is
(15 000, 15 000, 50 000, 20 000) or
(0.15, 0.15, 0.5, 0.2).



Eugène from Man Bijt Hond

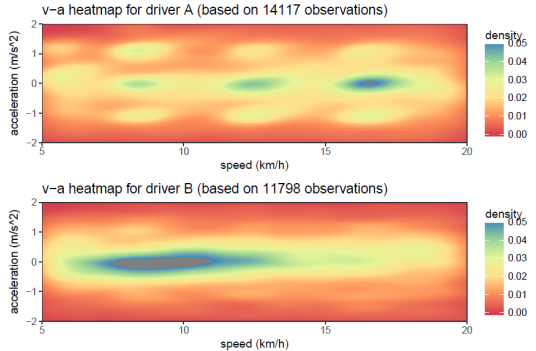
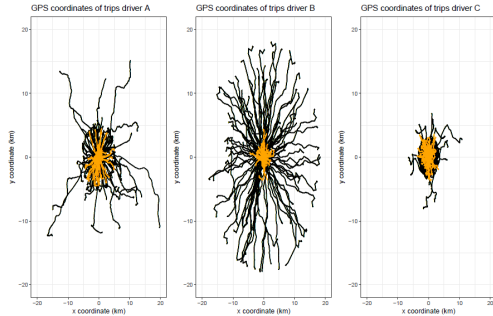
He drives 1 000 km during one year.

His road type composition is (500, 300, 200, 0) or
(0.5, 0.3, 0.2, 0).

Verbelen, Antonio & Claeskens (2018, JRSS: Series C). Unravelling the predictive power of telematics data in car insurance pricing.

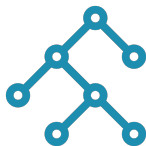
Henckaerts & Antonio (2021, in progress). The added value of dynamically updating motor insurance prices with telematics collected driving behavior data.

Feature engineering: new types of features!



Pictures reproducing Wüthrich (2017, European Actuarial Journal) on [Covariate selection from telematics car driving data](#), using data from AXA Kaggle competition.

Insurance regulation and ethics



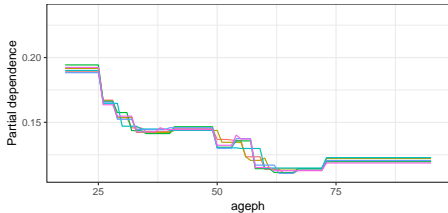
- ▶ Interpretation is **simple with mainstream actuarial models** (think: Generalized Linear Models or GLMs), e.g.

$$E[F|\mathbf{x}_i] = \exp(\beta_0) \cdot \exp(\beta_1 \cdot \mathcal{I}(\text{age_bin_1}) + \dots + \beta_p \cdot \mathcal{I}(\text{geo_cluster_p})).$$

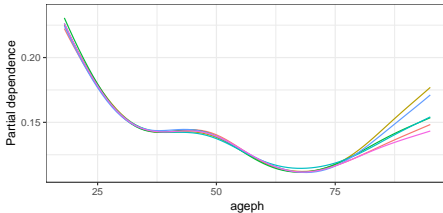
- ▶ But (way) more complicated with machine learning methods, e.g.
 - Gradient Boosting Machines (lots of small trees, fitted sequentially)
 - Neural Networks (tons of weights and bias parameters, layered structure).
- ▶ **Interpretation toolbox** demonstrated in Henckaerts, Antonio et al. (2020, NAAJ).

data fold 1 2 3 4 5 6

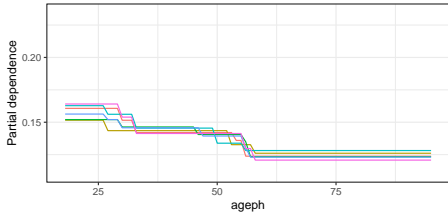
Generalized linear model – Frequency



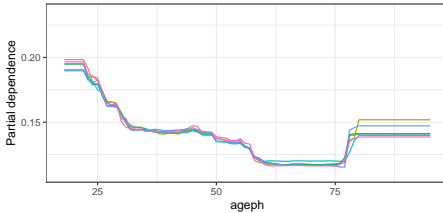
Generalized additive model – Frequency

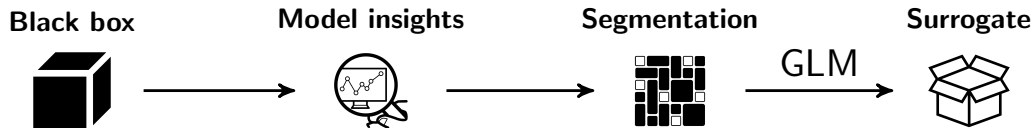


Regression tree – Frequency



Gradient boosting machine – Frequency





Two roads or pathways to explainable AI (XAI):

- **after the event**: use interpretation tools to (better) understand decision process in black box model
- **by design**: develop and use transparent white box model, e.g. as a global surrogate for a more complex black box model.



- ▶ Active and substantial literature on **fairness in machine learning**.
- ▶ Actuarial framework recently proposed in Lindholm et al. (2020), following Pope & Sydnor (2011, AEJ: Economic Policy).
- ▶ Three ways to determine (technical) insurance prices with ‘sensitive or protected’ features (in \mathbf{d}_i):
 - best-estimate (use $\{\mathbf{x}_i, \mathbf{d}_i\}$)
 - unawareness (use \mathbf{x}_i , but not \mathbf{d}_i) \rightarrow proxy effects!
 - discrimination-free (use $\{\mathbf{x}_i, \mathbf{d}_i\}$, then average over $\mathbb{P}(\mathbf{D})$).



That's a wrap!

For references, acknowledgements, see <https://katrienantonio.github.io>.

INTERACTIVE COURSE

Life Insurance Products Valuation in R

Continue Course

Bookmark

🕒 4 hours ▶ 17 Videos ↔ 55 Exercises 👤 4,380 Participants 📊 4,450 XP

Online course with DataCamp on [Valuation of Life Insurance Products in R](#), designed by Katrien Antonio & Roel Verbelen (target: BSc and MSc students, lifelong learning)

(in 2022, Jan 11 & 12) Junior College by Katrien Antonio and Kristien Smedts on [Kansrekening en financieel waarden: de actuaris aan het werk](#)

(in 2021-2022, concept) bijhorende lesmodule Junior College STEM en Economie (FEB en dept. Wiskunde, KU Leuven).



Thank you for your attention!